



Faculty: Science
Department: Mathematics Program: Bachelor's

Course Plan

First: Course Information

Course No. 0301361	Course Title: General Topology 1	Credit Hours: 3
Prerequisite: Logic & Set Theory	Section No.: 1	Lecture Time: 9:00-10:00
Type Of Course:	<input type="checkbox"/> <i>Obligatory Faculty Requirement</i> <input type="checkbox"/> <i>Elective University Requirement</i> <input type="checkbox"/> <i>Obligatory University Requirement</i> <input type="checkbox"/> <i>Faculty Requirement</i> <input type="checkbox"/> <i>Course Elective Specialty Requirement</i> <input checked="" type="checkbox"/> <i>Obligatory Specialization requirement</i>	
Type of Learning:	<input checked="" type="checkbox"/> <i>Face-to-Face Learning</i> <input type="checkbox"/> <i>Blended Learning (2 Face-to-Face + 1Asynchronous)</i> <input type="checkbox"/> <i>Online Learning (2 Synchronous+1 Asynchronous)</i>	

Third: Course Description

Topological spaces, open and closed sets, boundary, interior and accumulation points, subspace topology, basis and sub-basis, finite product of topological spaces, continuous functions, open and closed functions, homeomorphisms, Separation and countability axioms, compact spaces, metric spaces.

Fourth: Course Objectives

General Topology is one of the major branches of modern mathematics; this one-semester three-credit course will have three general interconnected objectives.

1. Will provide a firm foundation in topology to enable the student to continue more advanced study in this area.
2. This course will present and emphasize many topics in mathematics, in particular Real analysis, in order to aid the student in his future mathematical studies.
3. This course hopes to expose the students to both mathematical rigor and abstraction, giving there an opportunity further to develop his mathematical maturity.

Fifth: Learning Source

Main Reference:	An introduction to general Topology		
Author: Paul Long	Issue No.: 4th Edition	Publication Year: 1982	
Additional Sources and Websites:	General Topology by: STEPHEN WILLARD		
Teaching Type:	<input checked="" type="checkbox"/> Classroom <input type="checkbox"/> Laboratory <input type="checkbox"/> Workshop <input type="checkbox"/> MS Teams <input type="checkbox"/> Moodle		

Sixth: Learning Outcomes

Level descriptor according to (JNQF)	CILOs Code	CILOs	Associated PILOs Code Choose one PILO for each CILO*	Assessment method** Choose at least two methods	Scores out of 100 State the total score identified for each CILO	Minimum acceptable Score/percentage (%) The percentage should not be less than 50% ***
Knowledge	K1	Define and illustrate the concept of topological spaces and continuous functions.	PK2	First Exam, Second Exam, Final Exam, Assignment	10	5 (50%)
	K2	Define and illustrate the concept of product topology and quotient topology.	PK2	First Exam, Second Exam, Final Exam, Assignment	10	5 (50%)
	K3	Define and illustrate the concepts of the separation axioms.	PK3	First Exam, Second Exam, Final Exam, Assignment	8	4 (50%)
	K4	Define connectedness and compactness.	PK4	First Exam, Second Exam, Final Exam,	8	4 (50%)

				Assignment		
Skills	S1	Describe different examples about topological spaces.	PS2	First Exam, Second Exam, Final Exam, Assignment	12	6 (50%)
	S2	Illustrate the applications of learned theories.	PS1	First Exam, Second Exam, Final Exam, Assignment	10	5 (50%)
	S3	Explaining the theories.	PS2	First Exam, Second Exam, Final Exam, Assignment	10	5 (50%)
	S4	Apply the theories in solving problems.	PS3	First Exam, Second Exam, Final Exam, Assignment	8	4 (50%)
	S5	Classify topological spaces and its properties using separation axioms and connectedness.	PS2	First Exam, Second Exam, Final Exam, Assignment	8	4 (50%)
Competencies	C1	Working in a team to handle some advanced topics in number theory	PC3	First Exam, Second Exam, Final Exam, Assignment	4	2 (50%)
	C2	Develop the personal skills and capacity to carry responsibility	PC1	First Exam, Second Exam, Final Exam, Assignment	12	6 (50%)

*Refer to document () and page 2 in document ()

** Refer to document ()

***80% of the students must achieve the minimum acceptable percentage or higher for each CILO

Seventh: Course Structure

Lecture Date	Intended Teaching Outcomes (ILOs)	Topics	Teaching Procedures*	Teaching Methods***	References***
		Introduce to the course			
	K1, K2, S1, S2	Defining a Topology.	Face-to-Face	Lectures, cooperative learning and discussion	Mean Reference
	K1, K2, S1, S2, C1	Examples on a topological space	Face-to-Face	Lectures, cooperative learning and discussion	Mean Reference
	K1, K2, S1, S2, C1	Closed sets	Face-to-Face	Lectures, cooperative learning and discussion	Mean Reference

	K1, K2, S1, S2, C1, C2	A Closer Look at the Standard Topology on \mathbb{R}	Face-to-Face	Lectures, cooperative learning and discussion	Mean Reference
	K1, K2, K3, S1, S2, C1, C2	Topologies Induced by Functions	Face-to-Face	Lectures, cooperative learning and discussion	Mean Reference
	K1, K2, K4, S1, S2, C1, C2	The Interior	Face-to-Face	Lectures, cooperative learning and discussion	Mean Reference
	K1, K2, K4, S1, S2, C1, C2	The Exterior	Face-to-Face	Lectures, cooperative learning and discussion	Mean Reference
	K1, K2, K3, S1, S2, S3, C1	Boundary of a Set	Face-to-Face	Lectures, cooperative learning and discussion	Mean Reference
	K1, K2, K5, S1, S2, S4, C1, C2	Cluster Points, Isolated points	Face-to-Face	Lectures, cooperative learning and discussion	Mean Reference
	K1, K2, K3, S1, S2, S5, C1, C2	Base	Face-to-Face	Lectures, cooperative learning and discussion	Mean Reference
	K1, K2, K3, S1, S2, S3, C1, C2, C3	Finite Product of Topological Spaces	Face-to-Face	Lectures, cooperative learning and discussion	Mean Reference
First Exam					
	K1, K2, K3, S1, S2, S3, C1, C2	Subbases	Face-to-Face	Lectures, cooperative learning and discussion	Mean Reference
	K1, K2, K3, S1, S2, S3, C1, C2	General Products	Face-to-Face	Lectures, cooperative learning and discussion	Mean Reference
	K1, K2, K3, S1, S2	Continuous function	Face-to-Face	Lectures, cooperative learning and discussion	Mean Reference
	K1, K2, K3, S1, S2	Open functions	Face-to-Face	Lectures, cooperative learning and discussion	Mean Reference
	K1, K2, K3, S1, S2, S3, C1, C2	Homeomorphisms	Face-to-Face	Lectures, cooperative learning and discussion	Mean Reference
	K1, K2, K3, K4, S1, S2, S3, C1, C2	The identification Topology	Face-to-Face	Lectures, cooperative learning and discussion	Mean Reference
	K1, K2, K3, K4, S1, S2, S3, C1, C2	Quotient spaces	Face-to-Face	Lectures, cooperative learning and discussion	Mean Reference
	K1, K2, K3, K4, S1, S2, S3, C1, C2	The Separation of Axioms	Face-to-Face	Lectures, cooperative learning and discussion	Mean Reference
	K1, K2, K3, K4, S1, S2, S3, C1, C2	Examples on the Separation of Axioms	Face-to-Face	Lectures, cooperative learning and discussion	Mean Reference
	K1, K2, K3, K4, S1, S2, S3, C1, C2	Hausdorff Spaces	Face-to-Face	Lectures, cooperative learning and discussion	Mean Reference
	K1, K2, K3, S1, S2, S3, C1, C2	Regular Spaces	Face-to-Face	Lectures, cooperative learning and discussion	Mean Reference
	K1, K2, K3, S1, S2, S3, C1, C2	Normal Spaces	Face-to-Face	Lectures, cooperative learning and discussion	Mean Reference
	K1, K2, K3, S1, S2, S3, S4, S5, C1, C2	The first Axiom of Countability	Face-to-Face	Lectures, cooperative learning and discussion	Mean Reference
	K1, K2, K3, S1, S2, S3, S4, S5, C1, C2	The second Axiom of Countability	Face-to-Face	Lectures, cooperative learning and discussion	Mean Reference
	K1, K2, K3, K4, S1, S2, S3, C1, C2	Connected Spaces	Face-to-Face	Lectures, cooperative learning and discussion	Mean Reference
	K1, K2, K3, S1, S2, S3, S5, C1, C2	More Properties of Connected Spaces	Face-to-Face	Lectures, cooperative learning and discussion	Mean Reference
	K1, K2, K3, K4, S1, S2, S3, C1, C2	Components	Face-to-Face	Lectures, cooperative learning and discussion	Mean Reference

Second Exam					
K1,K2, K3, S1, S2, S3, C1, C2	Locally Connected Spaces	Face-to-Face	Lectures, cooperative learning and discussion	Mean Reference	
K1,K2, K3, S1, S2, S3, S4, S5, C1, C2	Compact Spaces	Face-to-Face	Lectures, cooperative learning and discussion	Mean Reference	
K1,K2, K3, S1, S2, S3, S5, C1, C2	More Properties of Compact Spaces	Face-to-Face	Lectures, cooperative learning and discussion	Mean Reference	
K1,K2, K3, S1, S2, S3, S5, C1, C2	Compactness in \mathbb{R}^n	Face-to-Face	Lectures, cooperative learning and discussion	Mean Reference	
K1,K2, K3, S1, S2, S3, S5, C1, C2	Non-Continuous functions	Face-to-Face	Lectures, cooperative learning and discussion	Mean Reference	
K1,K2, K3, S1, S2, S3, S5, C1, C2	Defining a metric	Face-to-Face	Lectures, cooperative learning and discussion	Mean Reference	
K1,K2, K3, S1, S2, S3, S5, C1, C2	Metric topologies	Face-to-Face	Lectures, cooperative learning and discussion	Mean Reference	
K1,K2, K3, S1, S2, S3, S5, C1, C2	Equivalent Metric topologies	Face-to-Face	Lectures, cooperative learning and discussion	Mean Reference	
K1,K2, K3, S1, S2, S3, S5, C1, C2	Continuity of functions between Metric spaces	Face-to-Face	Lectures, cooperative learning and discussion	Mean Reference	
K1,K2, K3, S1, S2, S3, S5, C1, C2	Examples of Continuous functions	Face-to-Face	Lectures, cooperative learning and discussion		
K1, K2, K3, S1, S2, S3, S5, C1	Revision	Face-to-Face	Lectures, cooperative learning and discussion		
Final Exam					

* Learning procedures: (Face-to-Face, synchronous, asynchronous). * * Teaching methods: (Lecture, video.....). * * * Reference: (Pages of the book, recorded lecture, video.....).

Eighth: Assessment methods

Methods	Direct Teaching	Specific Course Output to be measured										
		K1	K2	K3	K4	S1	S2	S3	S4	S5	C1	C2
First Exam	20	8				4	5	3				
Second Exam	20			3	4	2	2	2	2	3		2
Final Exam	50	2	10	5	4	4	3	5	4	5		8
Assignment	10					2			2		4	2
Total	100	10	10	8	8	12	10	10	8	8	4	12

Ninth: Course Policies

- All course policies are applied on all teaching patterns (online, blended, and face-to-face Learning) as follows:
 - a. Punctuality.
 - b. Participation and interaction.
 - c. Attendance and exams.
- Academic integrity: (cheating and plagiarism are prohibited).